

『表面物理学とトポロジカル物質への応用』

Lecture Slides (PDF files)

東京大学理学系研究科物理学専攻

<http://www-surface.phys.s.u-tokyo.ac.jp/KougiOHP/>

長谷川 修司

1. Nanoscience and Surface Physics ナノサイエンスと表面物理
Nanoscience in Nobel Prize
- ➡ 2. Atomic Arrangements at Surfaces 表面原子配列構造
Scanning Tunneling Microscopy, Electron Diffraction
走査トンネル顕微鏡、電子回折
3. Surface Electronic States 表面電子状態
Surface states 表面状態、Rashba Effect ラッシュバ効果
Topological Surface States トポロジカル表面状態、
Band Bending バンド湾曲
4. Surface Electronic Transport 表面電気伝導
Space-Charge-Layer Transport and Surface-State Transport
空間電荷層伝導と表面状態伝導
Atomic-Layer Superconductivity 原子層超伝導

The Surface is Cool!

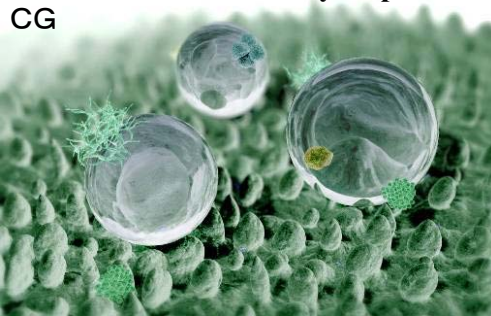


ロータス効果(Lotus effect, ハス効果)

天然の自浄機構(超撥水性 Ultrahydrophobicity):
ハスの葉はその微細構造と表面の化学的特性により、濡れない。葉の表面に付いた水は表面張力によって丸まって水滴となり、泥や、小さい昆虫や、その他の異物を絡め取りながら転がり落ちる。(Wikipedia)



疎水性 hydrophobic
親水性 hydrophilic



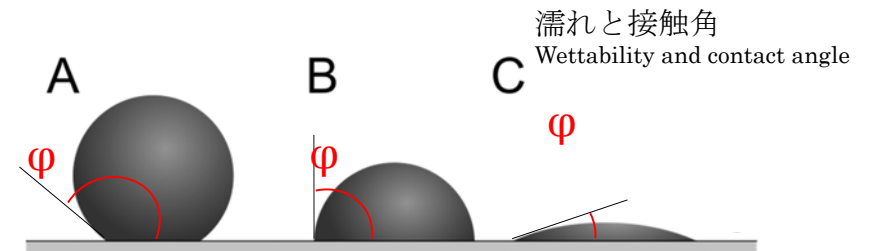
表面張力 Surface Tension (N/m)

表面の端の単位長さあたりに生じる、縮もうとする力
Force, trying to shrink, per unit length at the edge of surface

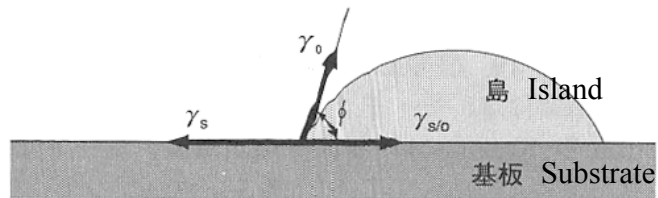
表面エネルギー Surface Energy (J/m²)

単位面積の表面を作り出すのに必要なエネルギー
Energy necessary to create surface of unit area

←原子・分子間の引力 Attractive force among atoms and molecules



表面張力のつりあい Surface tension and Balance



Young(-Dupre) Formula $\gamma_s = \gamma_{s/o} + \gamma_0 \cos \phi$

γ_s : 基板表面の表面エネルギー(張力) Surface energy (tension) of Substrate

γ_0 : 吸着物の表面エネルギー(張力) Surface energy (tension) of adsorbate

$\gamma_{s/o}$: 基板と吸着物の界面エネルギー Interface energy between Substrate and adsorbate

接触角 Contact angle ϕ

$\phi=0^\circ$: wetting

$\phi \sim 0^\circ$: 親水性 hydrophilic

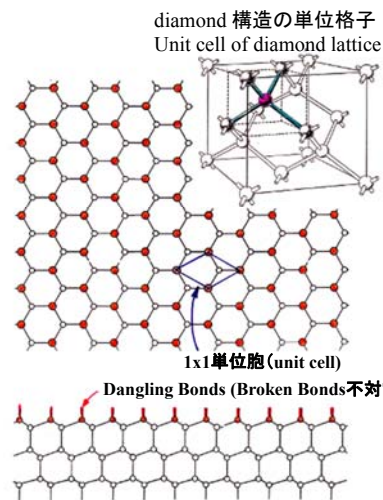
$\phi > 0^\circ$: dewetting

$\phi > 90^\circ$: 疎水性 hydrophobic

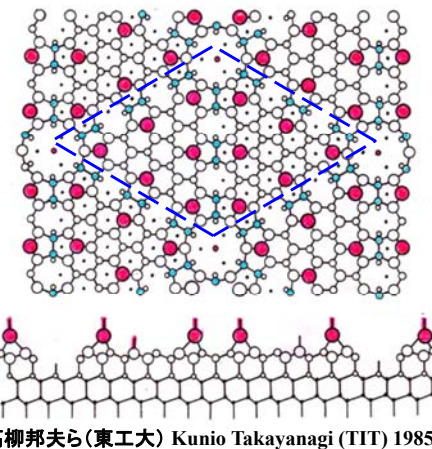
Si(111)結晶表面 Crystal Surface

1x1切断(理想)表面
1x1 Truncated (Ideal) Surface

7x7表面超構造(最安定構造)
7x7 Surface Superstructure (most stable)

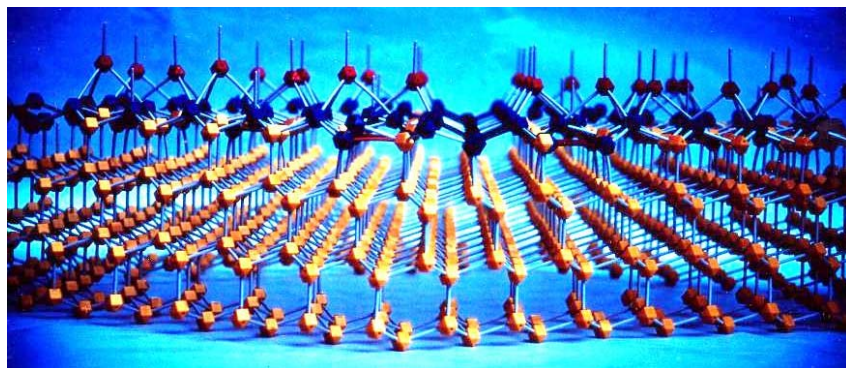


Decrease in number of dangling bonds (49→13)
→ Decrease in surface energy (stabilized)



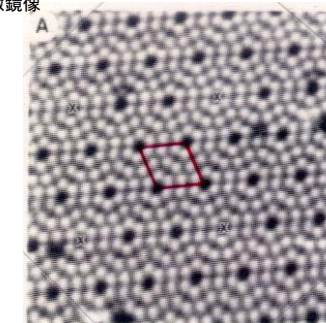
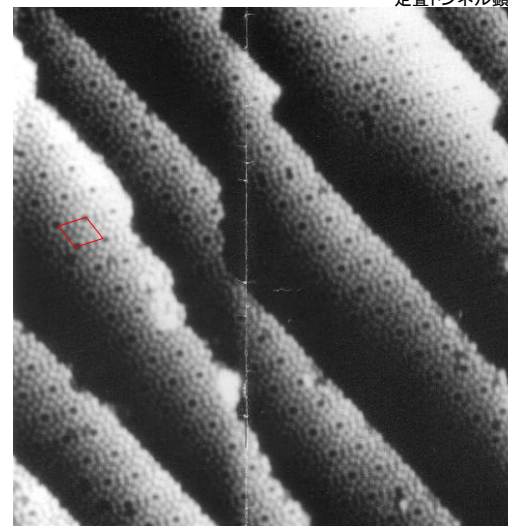
Si(111)-7x7清浄表面構造の模型

Ball-and-Stick Model of Si(111)-7x7 Clean Surface

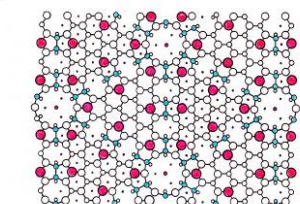


STM Image of Si(111)-7x7 Clean Surface

走査トンネル顕微鏡像



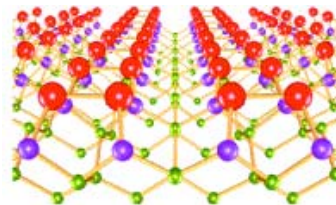
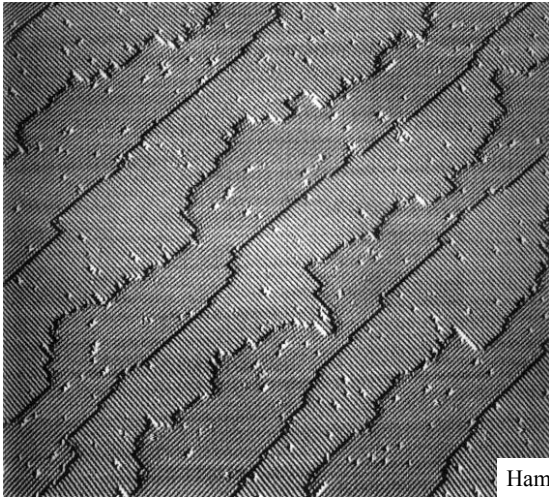
Pelz & Koeh (IBM)



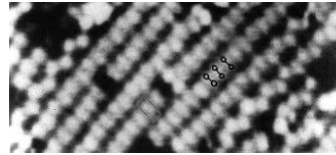
©JEOL

STM Image of Si(001)-2x1 清浄表面 Clean Surface

Swartzentruber, et al., Phys. Rev. Lett. 65 (1988) 1973

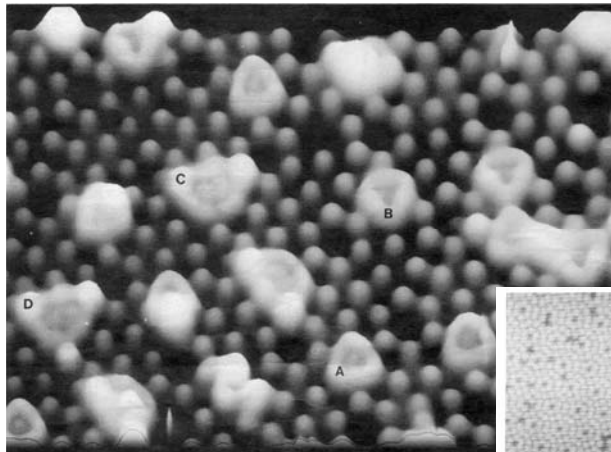
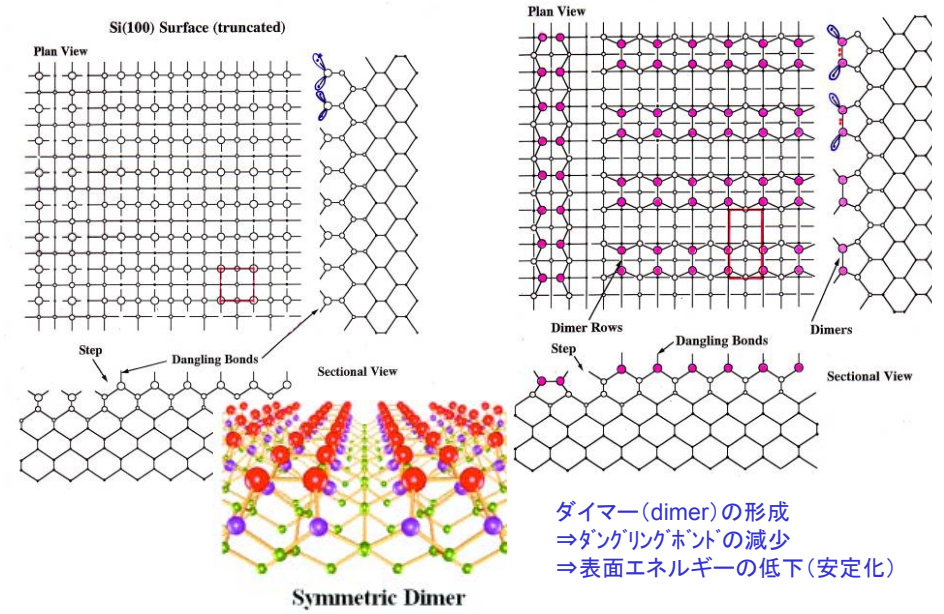


Symmetric Dimer

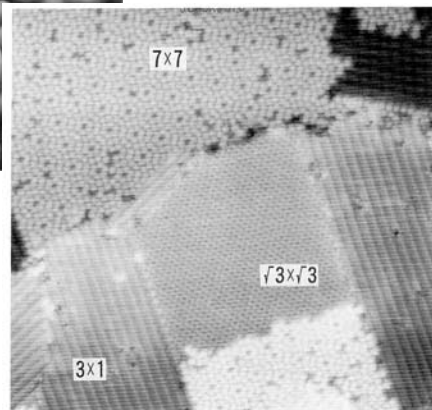


Hamers, et al., Phys. Rev. B34 (1986) 5343

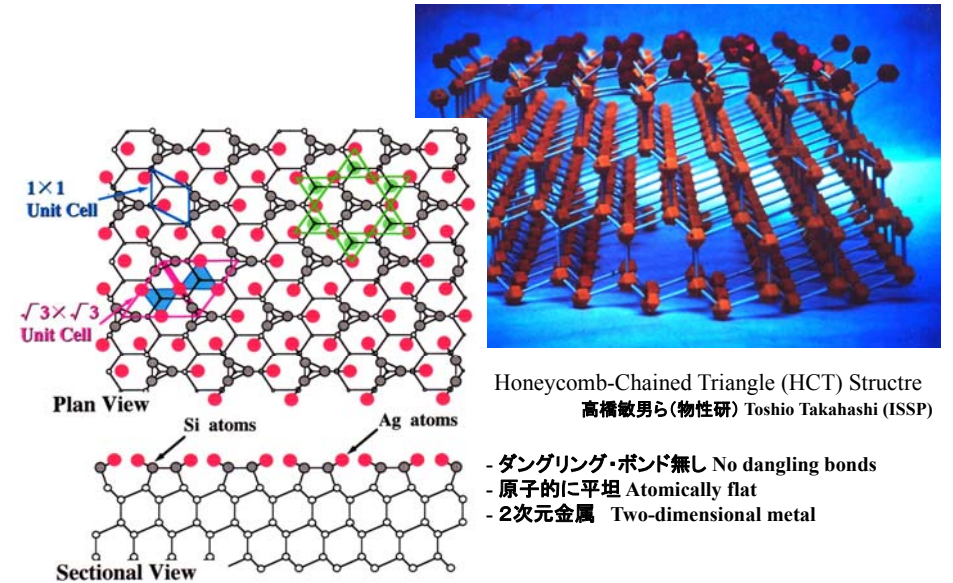
Atomic Structure of Si(001)-2x1 Clean Surface

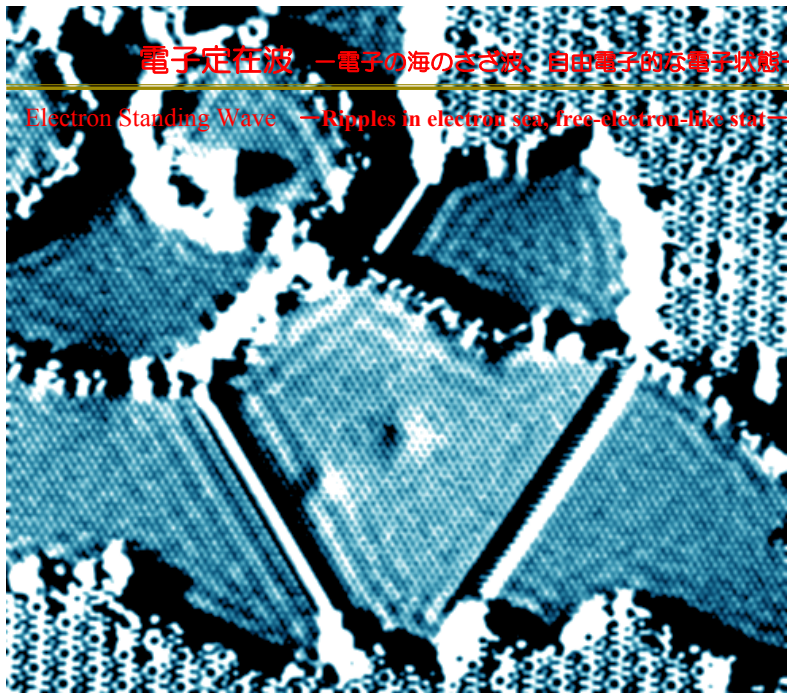


Ag Adsorption on Si(111)-7x7 Surface



Si(111)-sqrt(3) x sqrt(3)-Ag 表面超構造 Surface Superstructure



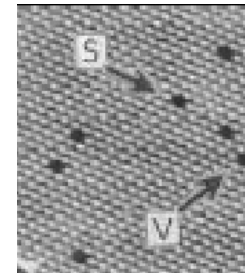
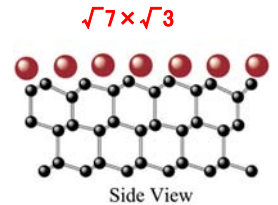
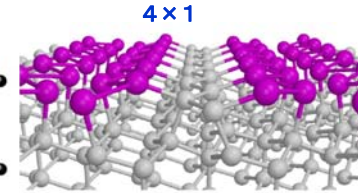
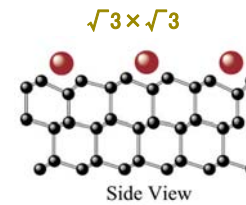


インジウム吸着Si(111) 表面 Indium-adsorbed Si(111) surfaces

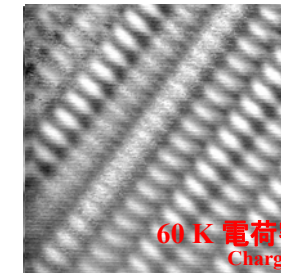
絶縁体 Insulator

擬1次元金属 Quasi-1D Metal

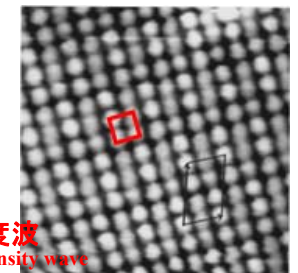
2次元金属 2D Metal



A. A. Sarranin, et. al.



H. Y. Yeom, et al., PRL 82, 4898 (1999)



S. L. Surnev, et. al.

電子回折

Electron Diffraction

電子の波長 Wavelength of Electron

○ では電子の波長は？ How long is the wavelength of electron?

de Broglie's formula

$$\lambda = \frac{h}{p} = \frac{h}{\sqrt{2meV}} = \sqrt{\frac{150.412}{V[\text{ボルト}]}} \quad (\text{非相対論})$$

$$eV = \frac{p^2}{2m} \quad \times (1 - 4.89 \times 10^{-7} \times V) \quad (\text{相対論})$$

加速電圧
Acc. Voltage

	λ (非相対論)	λ (相対論)
100 V	1.23 Å	1.23 Å
500 V	0.548 Å	0.548 Å
1 kV	0.388 Å	0.388 Å
5 kV	0.173 Å	0.173 Å
10 kV	0.123 Å	0.122 Å
50 kV	0.0548 Å	0.0535 Å
100 kV	0.0388 Å	0.0369 Å
500 kV	0.0173 Å	0.0131 Å

Atomic-Scale

電子の速度は光速に近い
The speed approaches c.



The Nobel Prize in Physics 1929

"for his discovery of the wave nature of electrons" 電子の波動性に発見に対して



Prince Louis-Victor Pierre Raymond de Broglie

France

Sorbonne University, Institut Henri Poincaré, Paris, France

b. 1892 d. 1987

540 NO. 2815, VOL. 112 NATURE [OCTOBER 13, 1923]

Waves and Quanta.

This quantum relation, energy = $h \times$ frequency, leads one to associate a periodical phenomenon with any isolated portion of matter or energy. An observer bound to the portion of matter will associate with it a frequency determined by its internal energy, namely, by its "mass at rest." An observer for whom a portion of matter is in steady motion with velocity βc , will see this frequency lower in consequence of the Lorentz-Einstein time transformation. I have been able to show (*Comptes rendus*, September 10 and 24, of the Paris Academy of Sciences) that the fixed observer will constantly see the internal periodical phenomenon in phase with a wave the frequency of which $\nu = \frac{m_0 c^2}{h \sqrt{1 - \beta^2}}$ is determined by the quantum relation using the whole energy of the moving body—provided it is assumed that the wave spreads with the velocity c/β . This wave, the velocity of which is greater than c , cannot carry energy.

A radiation of frequency ν has to be considered as divided into atoms of light of very small internal mass ($\sim 10^{-36}$ gm.) which move with a velocity very nearly equal to c given by $\frac{m_0 c^2}{h \nu} = h \nu$. The atom of light slides slowly upon the non-material wave, the frequency of which is ν and velocity c/β , very little higher than c .

The "phase wave" has a very great importance in determining the motion of any moving body, and I have been able to show that the stability conditions of the trajectories in Bohr's atom, express that the wave is tuned with the length of the e^{-} path.

This path of a luminous atom is no longer straight when this atom crosses a narrow opening; that is, diffraction. It is then necessary to give up the inertia principle, and we must suppose that any moving body follows always the ray of its "phase wave"; its path will then bend by passing through a sufficiently small aperture. Dynamics must undergo the same evolution that optics has undergone when undulations took the place of purely geometrical optics. Hypotheses based upon those of the wave theory allow us to explain interference and diffraction fringes. By means of these new ideas, it will probably be possible to reconcile also diffusion and dispersion with the discontinuity of light, and to solve almost all the problems brought up by quanta.

Paris, September 12. Louis DE BROGLIE.

運動する物体 ($V = c\beta$) には位相波を伴っている! $mc^2 = h\nu$

non-material wave (\Rightarrow material wave (物質波))

光速より速く走る、エネルギーを運ばない $v_\phi = c/\beta$

$$\lambda = \frac{v_\phi}{\nu} = \frac{ch}{\beta mc^2} = \frac{h}{\beta mc} = \frac{h}{mV} = \frac{h}{p} \rightarrow \text{干渉・回折縞を説明できる!}$$

NaClのX線回折

→X線結晶構造解析

Laueの条件=Braggの式

(~寺田寅彦)



The Nobel Prize in Physics 1914

"for his discovery of the diffraction of X-rays by crystals"



Max von Laue (1879-1960)



The Nobel Prize in Physics 1915

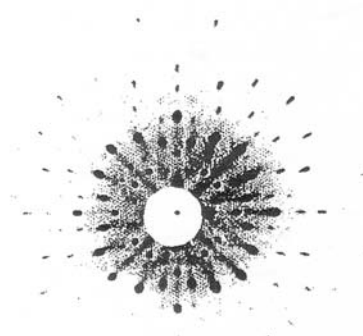
"for their services in the analysis of crystal structure by means of X-rays"



Sir William Henry Bragg (1862-1942)



William Lawrence Bragg (1890-1971)



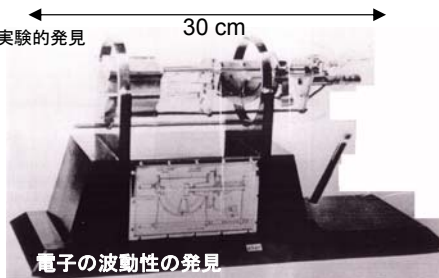
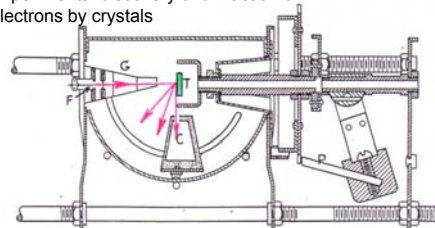
NaClの四回対称面のラウエ写真

$$2d \sin \theta = n\lambda$$

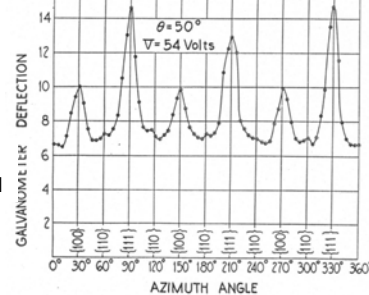
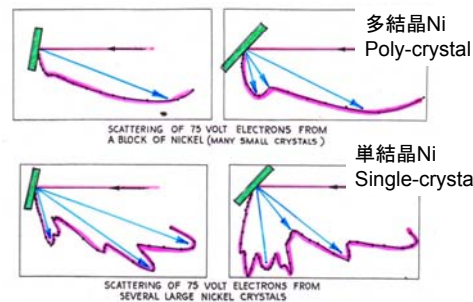
First Electron Diffraction – Davisson & Germer – (LEED 75 eV)

C. Davisson and L. H. Germer, Phys. Rev. 30, 705-740 (1927)

1937 Nobel Prize in Physics 結晶による電子の干渉現象の実験的発見
Experimental discovery of diffraction of electrons by crystals



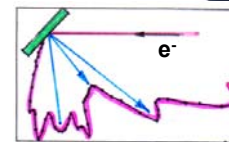
電子の波動性の発見
Discovery of Wave Nature of Electron



The Nobel Prize in Physics 1937

"for their experimental discovery of the diffraction of electrons by crystals"

結晶による電子の回折の実験的発見



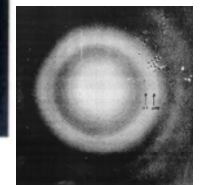
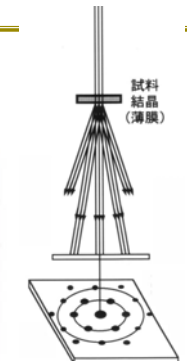
Ni Crystal : LEED



Clinton Joseph Davisson
USA
Bell Telephone Laboratories



George Paget Thomson
Great Britain
London University

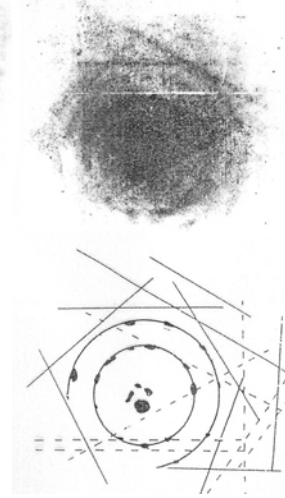
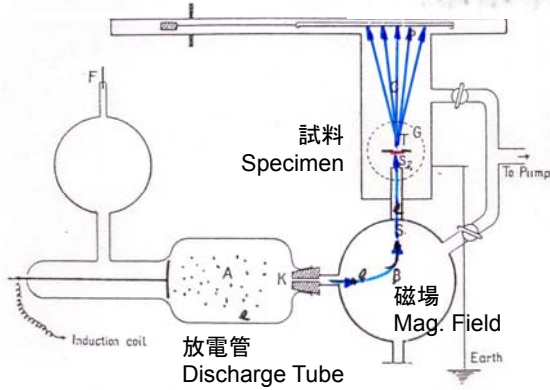


Au Thin Film : TED

菊池正士の電子回折 — 雲母薄膜のTED —
 Electron Diffraction by Seishi Kikuchi — TED of Mica Thin Film

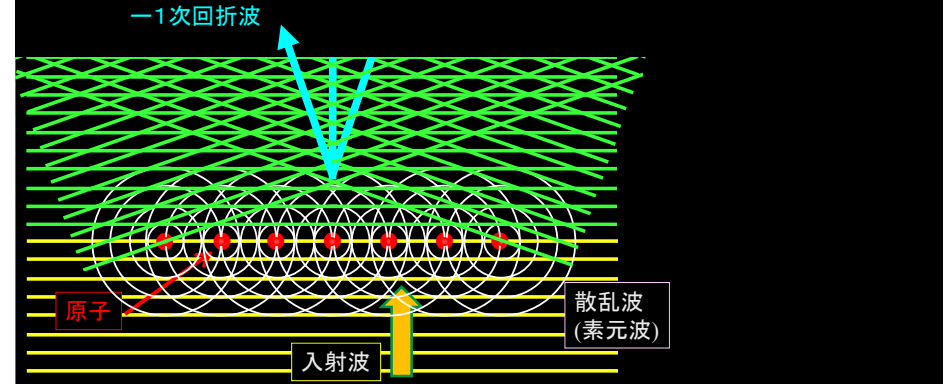


菊池線 Kikuchi Lines
 菊池パターン Kikuchi Patterns



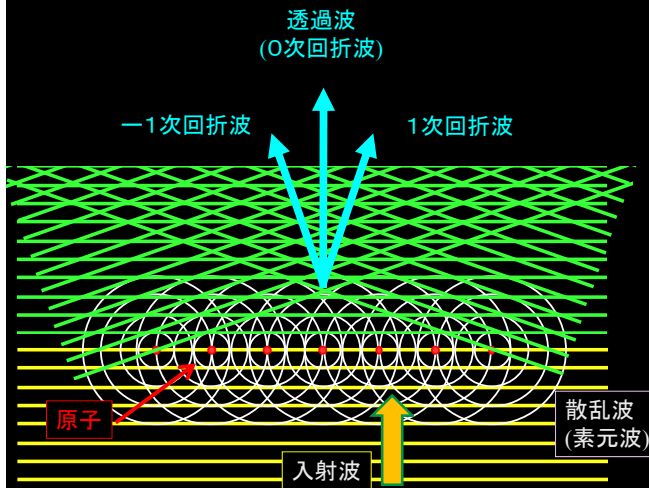
回折条件

Huygensの原理 \Rightarrow Laue条件 = Bragg条件

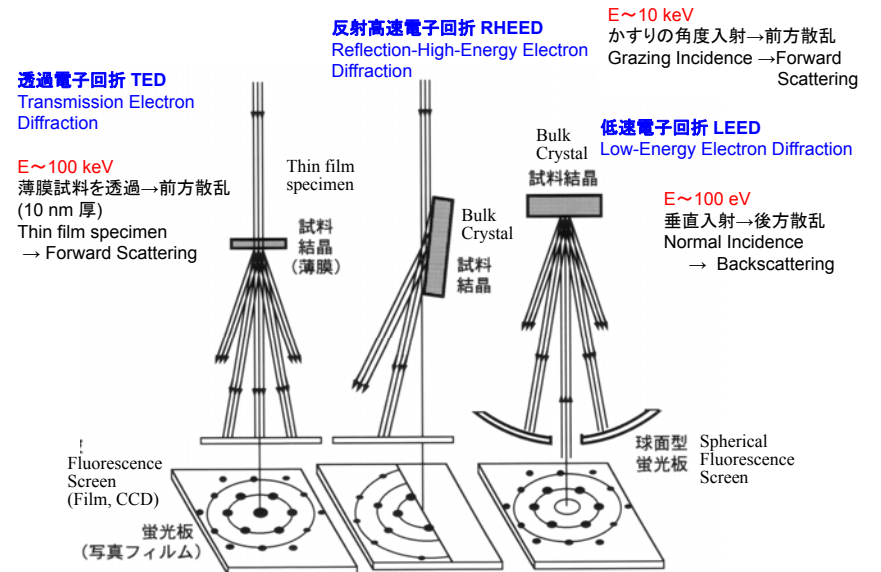


回折条件

Huygensの原理 \Rightarrow Laue条件 = Bragg条件



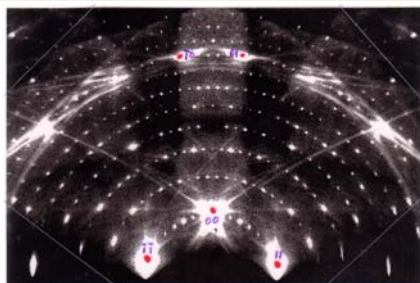
電子回折いろいろ Various Types of Electron Diffraction



Electron Diffraction Pattern from Si(111)-7 × 7 Clean Surface

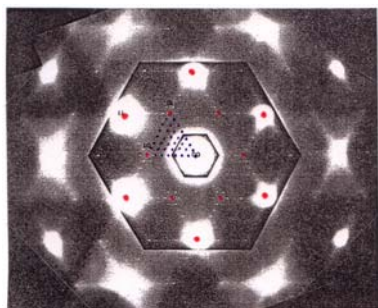
- 基本格子反射点
Fundamental Spots
(Diffraction spots from bulk crystal)

- 他の細かいスポット
超格子反射点
Superlattice Spots
(Diffraction spots from surface superstructure)

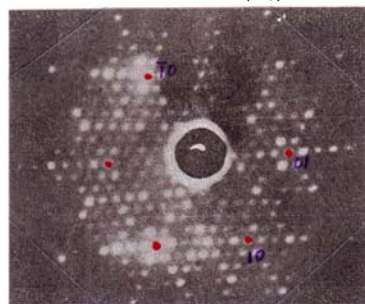


RHEED

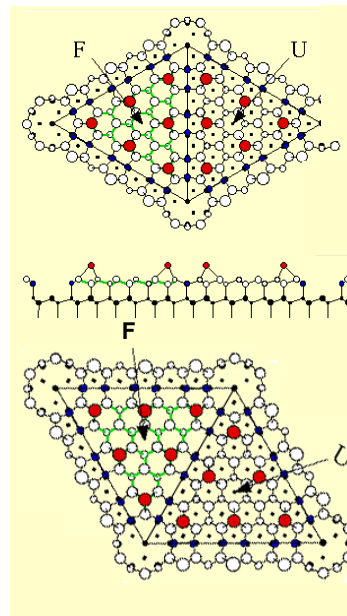
TED (Takayanagi)



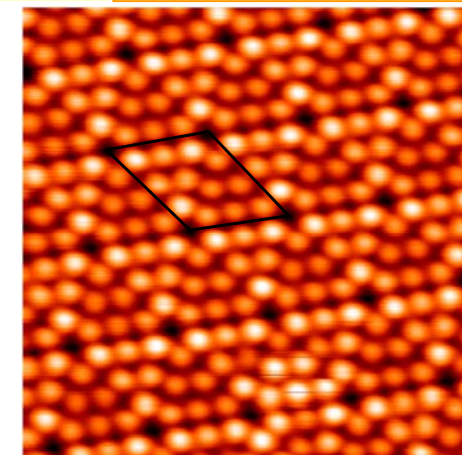
LEED (Ino)



固体表面



Si(111)7x7表面のSTM像

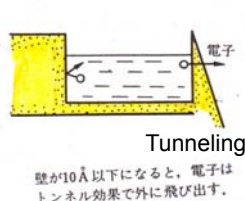
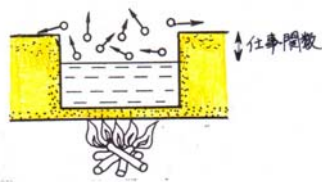


電子線源 — 熱電子銃と電界放射電子銃 —

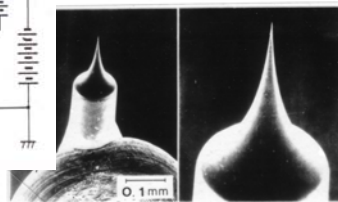
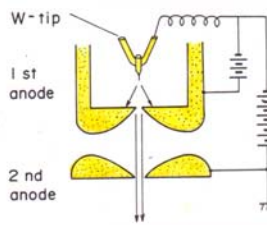
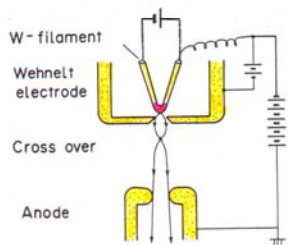
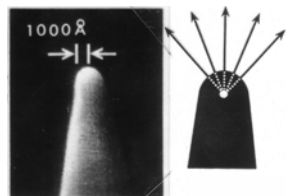
Electron Beam Source –Thermal Electron Gun & Field-Emission Electron Gun-

熱電子銃 Thermal EG
(1901 Richardson)

電界放射電子銃 Field-Emission EG
(1968 Crewe)



Field Emission Tip (W)
仮想光源
Virtual Source
~ 100 Å



電子波束の大きさ Size of Electron Wave Packet

Plane wave e^{ikz} is impossible in reality!

Transverse coherence length $w \sim \frac{\lambda}{2\beta}$

Longitudinal coherence length $l \sim \frac{\lambda^2}{\Delta\lambda}$

$l \sim \frac{\lambda^2}{\Delta\lambda}$

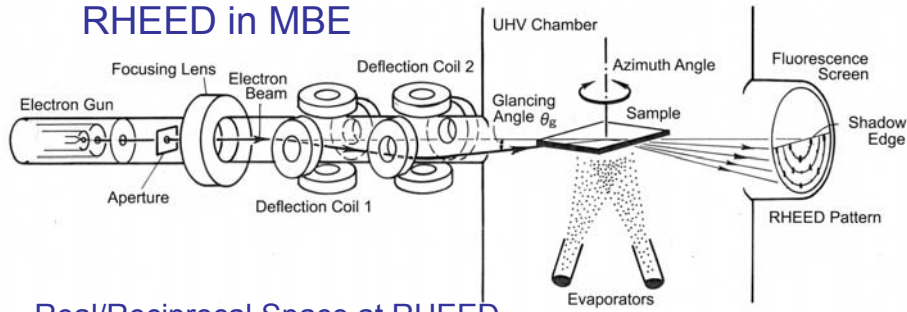
$(\frac{1}{\lambda} - \frac{1}{\lambda + \Delta\lambda})^{-1} = \frac{\lambda(\lambda + \Delta\lambda)}{\Delta\lambda} = \frac{\lambda^2}{\Delta\lambda}$

	熱電子銃 (ヘアピン型)	電界放射電子銃 (冷陰極型)
光源サイズ (μm)	~20	~0.01
エネルギー幅 (eV)	~2	~0.3
輝度 at 100 keV (A/cm ² /st)	~5 × 10 ⁵	~5 × 10 ⁸
波束長さ l (μm)	~0.2	~1.3
幅 W (μm) (レンズで拡大)	~0.02	~0.6
	2	60

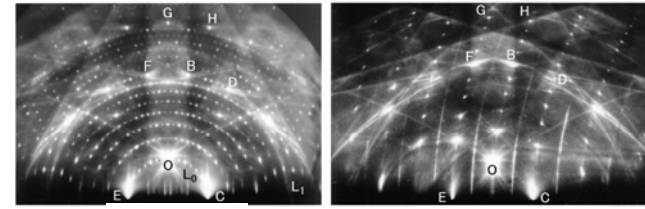
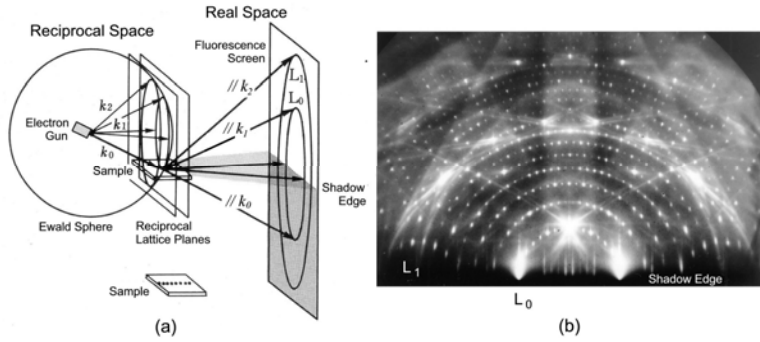
有限サイズの光源 (現実の電子源)

β: 開き角 Divergence Angle

RHEED in MBE



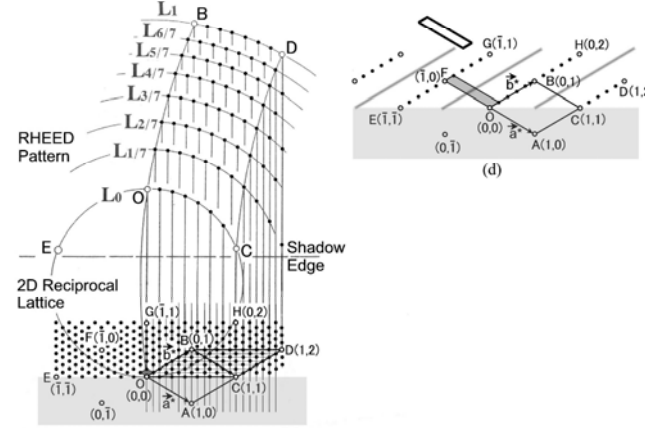
Real/Reciprocal Space at RHEED



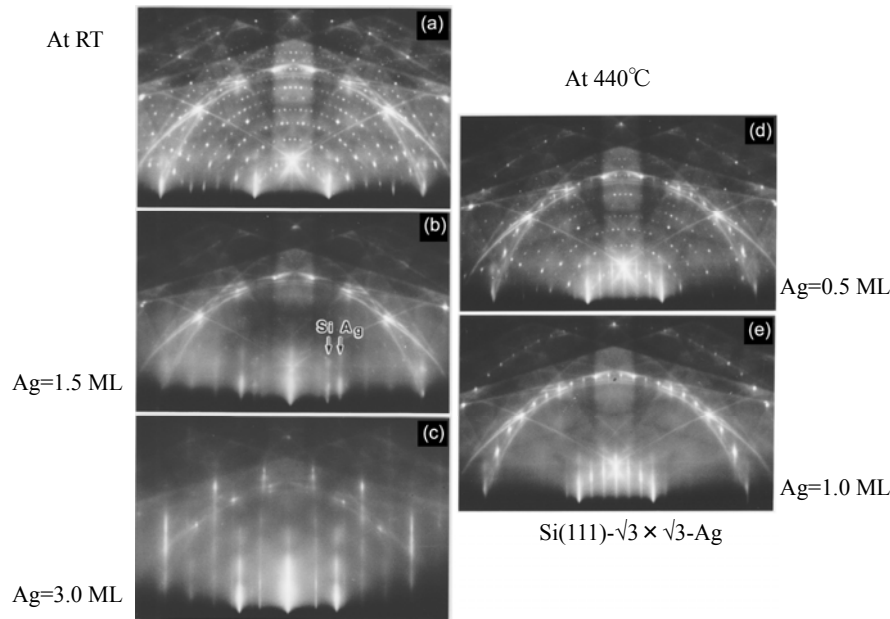
RHEED Patterns & 2D Reciprocal Lattice

Si(111)-7x7

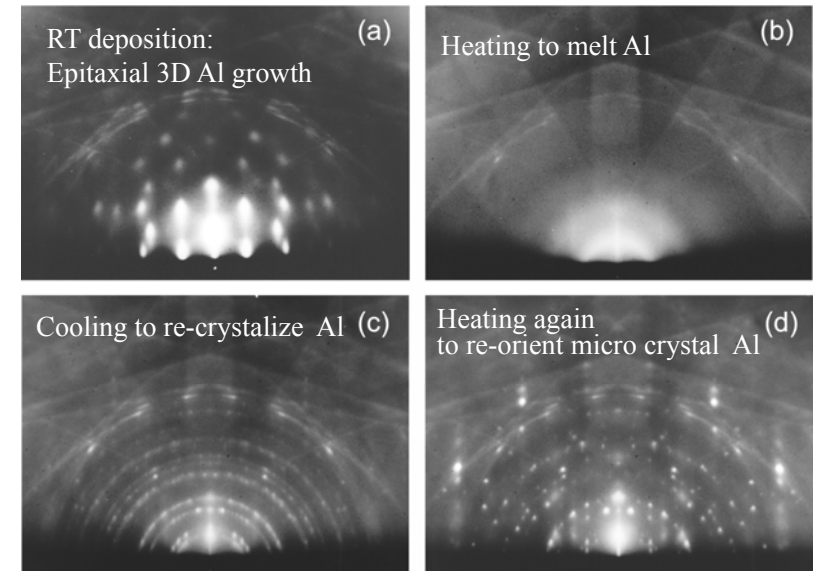
Si(111)-5x2'-Au



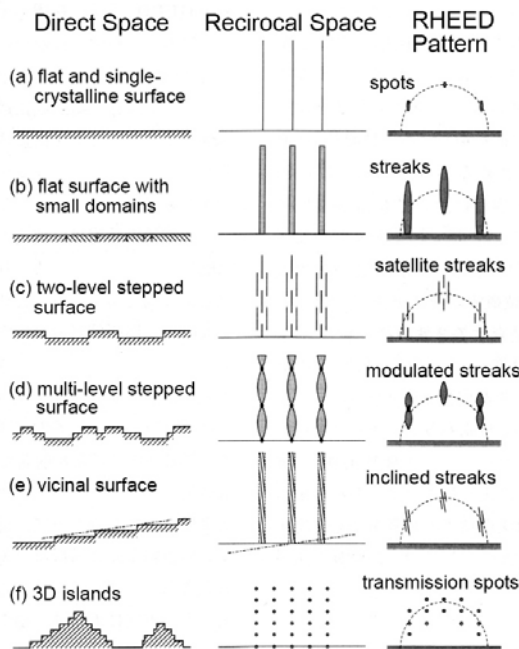
Ag deposition on Si(111)-7x7



Melting and Crystallization of Al (20 ML) on Si(111)-7x7

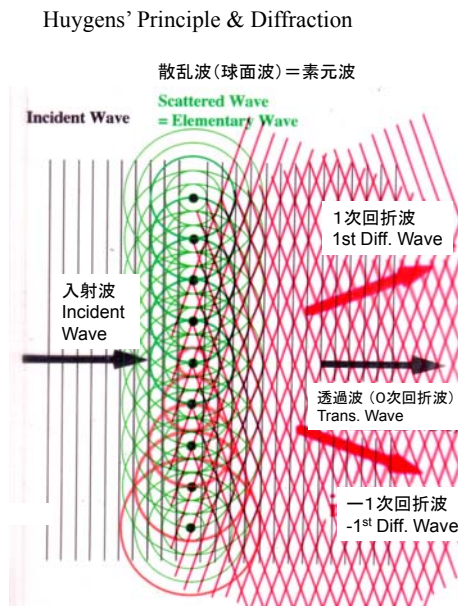
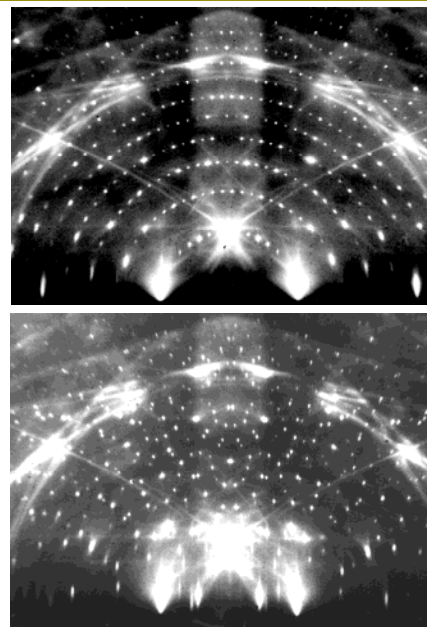


RHEED Patterns from various surfaces



Courtesy by Yoshimi Horio

回折スポットの並び方と強度: 原子配列の解析



回折スポットの並び方と強度

1. 個々の原子からの散乱 (素元波)
⇒ 原子散乱因子 Atomic Scattering Factor f
原子の種類、価数

各スポットの強度

$$I \propto |F|^2 \cdot |G|^2 \propto |f|^2$$

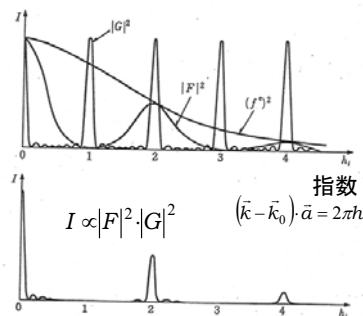
2. 単位胞内の原子からの散乱波の干渉
⇒ 結晶構造因子 Crystal Structure Factor F
単位胞内での原子の具体的な配置
⇒ 各スポットの強度、消滅則

$$F = \sum_i f_i \cdot \exp[-2\pi i(\vec{k} - \vec{k}_0) \cdot \vec{r}_i]$$

3. 結晶全体 (単位胞の繰り返し) からの散乱
⇒ ラウエ関数 Laue Function G

単位胞の大きさ・形 (構造の周期)、
結晶・ドメインの大きさ、形状
⇒ 各スポットの並び方 (回折波の方向)

$$G = \frac{\sin\left[\frac{1}{2}N(\vec{k} - \vec{k}_0) \cdot \vec{a}\right]}{\sin\left[\frac{1}{2}(\vec{k} - \vec{k}_0) \cdot \vec{a}\right]}$$



Procedure of Structure Analysis: Trial and Error

(1) Measure the intensity $I(\vec{k})$ of each diffraction spot

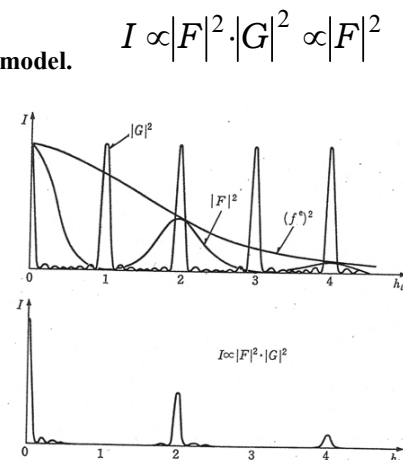
(2) Assume a model of the atomic arrangement in the unit cell.

(3) Calculate the potential $V(\vec{r})$ from the model.

(4) Fourier transform the $V(\vec{r})$ to obtain the crystal structure factor $F(\vec{k})$.

(5) Compare the calculated $|F(\vec{k})|^2$ with the measured spot intensity $I(\vec{k})$.

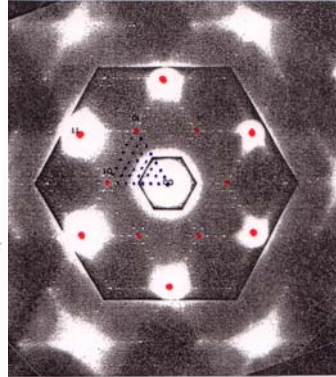
(6) If they do not agree with each other, modify the model, and repeat the process (2)-(5) until a satisfactory agreement.



TED Analysis of Si(111)-7x7 Surface Superstructure by Takayanagi et al.
 —Proposal of DAS Structure —

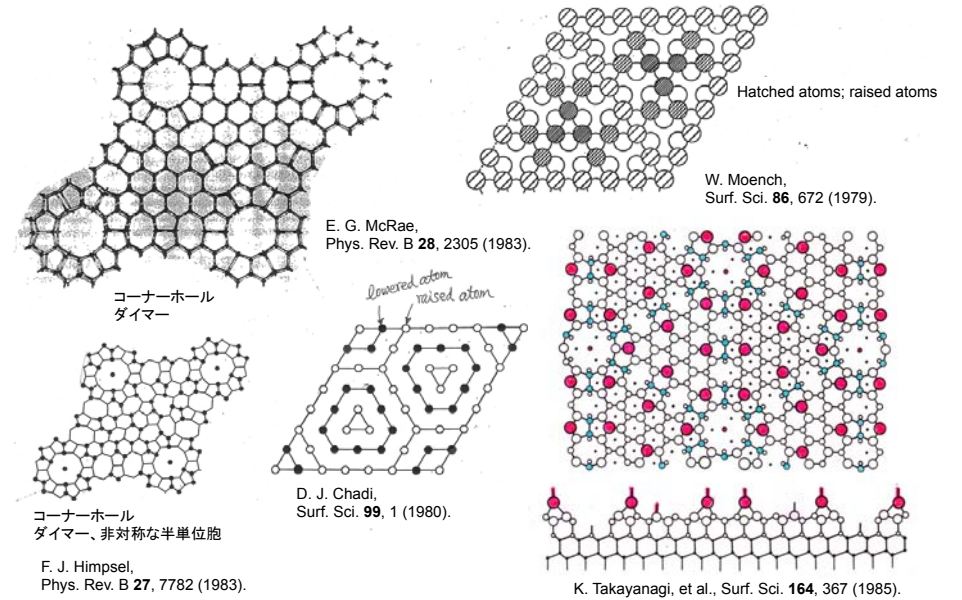
Relative intensities of $(h/7k/7l,0)$ reflections for the observation and for calculations of DAS, DAS-Refined, McRae [30], Bennett et al. [12], Himpfel and Batra [21] models; intensities of $(1/7)$ reflection, which were calculated to be 146×10^{-7} , 147×10^{-7} , 562×10^{-7} , 103×10^{-7} , 57×10^{-7} for the unit incidence of electrons, respectively, are normalized to 100; on account of the limited space, the intensities of only 80 of the observed 460×6 reflections are listed

Reflections ($h/7k/7l$)	TED intensity					
	Obs.	DAS	DAS-RFN	McRae	Bennett	Himpfel
3/7 0	160	150	159	57	285	236
3/7 1/7	37	24	25	0	25	39
4/7 0	9	18	13	0	25	21
3/7 3/7	10	2	1	9	10	24
4/7 3/7	10	1	1	8	1	3
4/7 4/7	64	42	45	9	80	0
6/7 0	96	79	83	78	69	327
6/7 1/7	80	58	59	64	128	101
1 1/7	100	100	100	100	100	100
8/7 0	77	60	46	68	128	47
5/7 0	15	19	13	16	13	31
5/7 2/7	15	11	9	15	36	28
1 2/7	62	40	43	37	42	65
9/7 0	37	10	15	12	26	62
1 3/7	123	86	100	47	122	54
8/7 3/7	37	14	12	2	17	1
1 4/7	10	4	5	0	11	41
6/7 4/7	0	6	4	0	5	54
5/7 3/7	0	5	3	1	2	1
5/7 4/7	25	9	10	2	16	2
6/7 3/7	19	7	7	2	6	20
8/7 2/7	23	10	10	5	11	12
9/7 1/7	25	11	8	6	8	8
9/7 2/7	25	8	9	3	13	7
5/7 5/7	0	0	0	1	0	14
6/7 5/7	17	4	5	9	1	136
8/7 4/7	0	1	1	3	0	5
9/7 4/7	12	0	-1	1	1	17
9/7 3/7	0	1	1	0	0	5
10/7 0	0	6	5	0	4	50
10/7 1/7	25	7	6	0	16	3

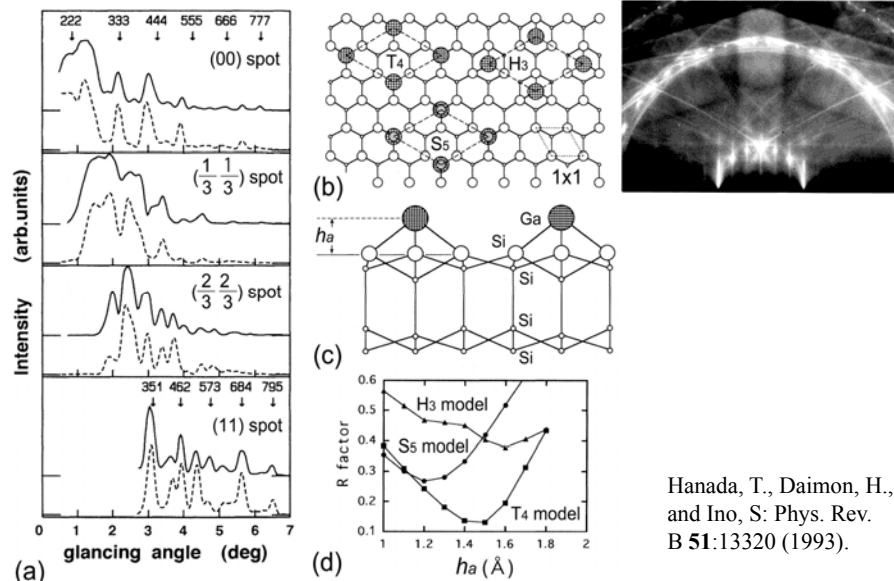


K. Takayanagi, et al.,
 Surf. Sci. **164**, 367 (1985).

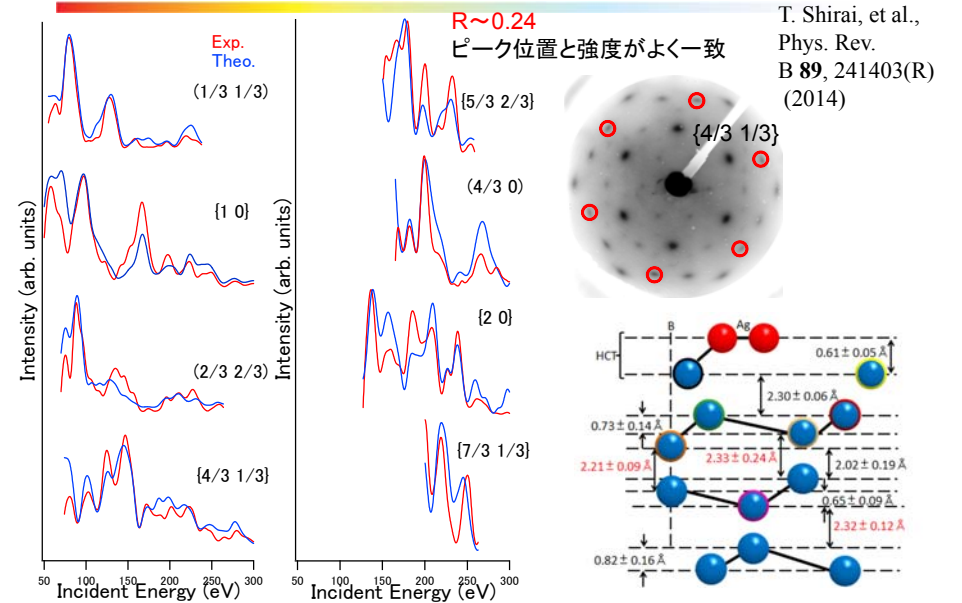
Proposed Models for Si(111)-7x7 Surface Superstructure



Rocking RHEEDIによる構造解析: Si(111)- $\sqrt{3} \times \sqrt{3}$ -Ga

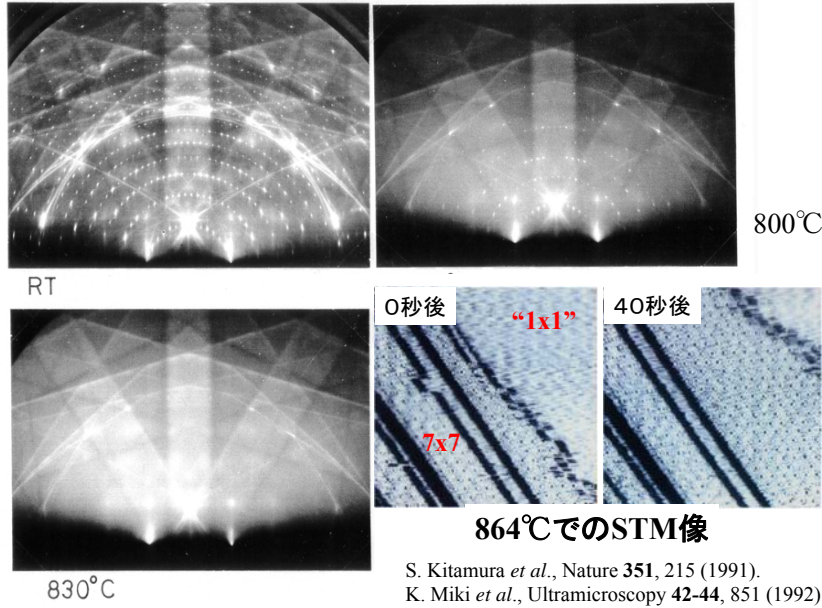


I-V LEEDによる構造解析: silicene

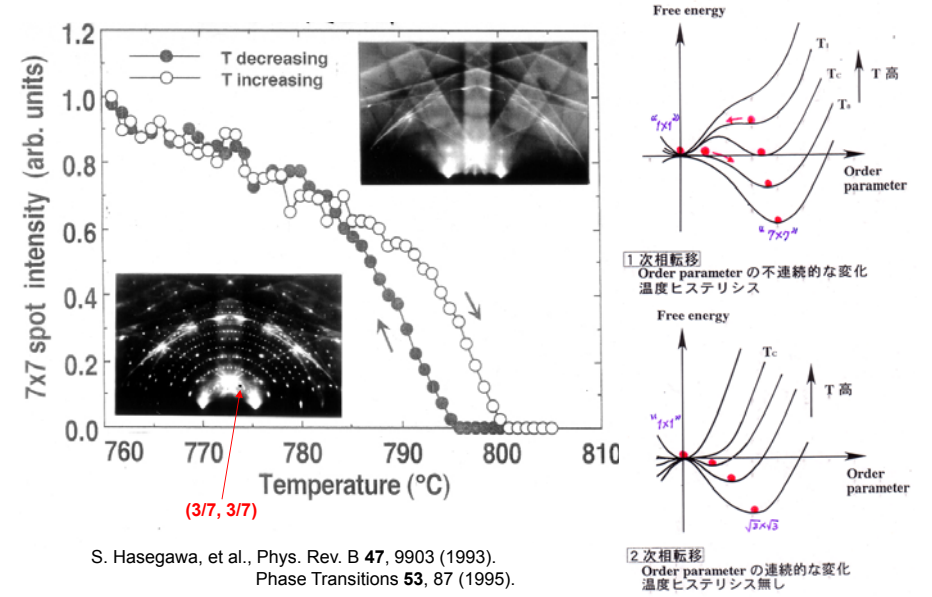


Si(111)-7x7 ⇌ 1x1 相転移 at ~830°C

S. Ino: JJAP 16, 891 (1977)

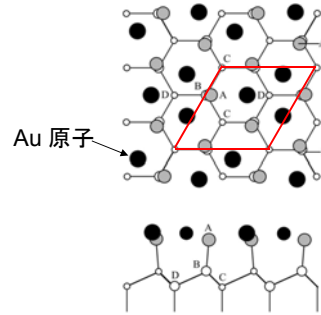
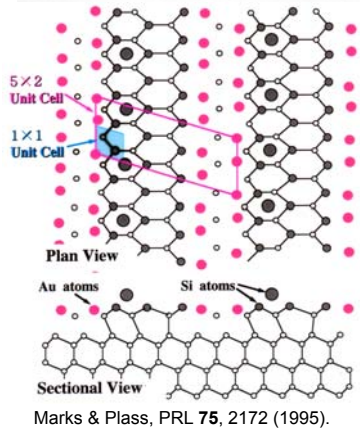
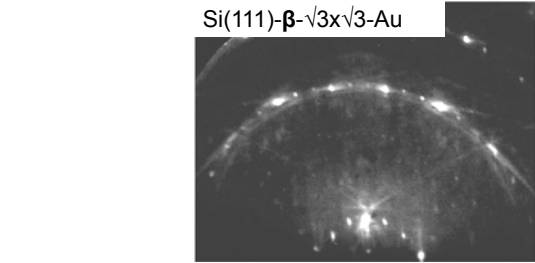
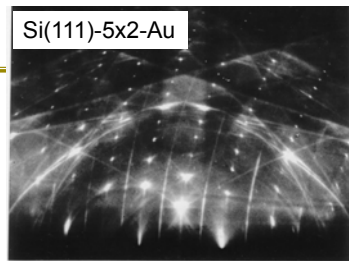


Si(111)-7x7 ⇌ 1x1 相転移 ; 1次相転移

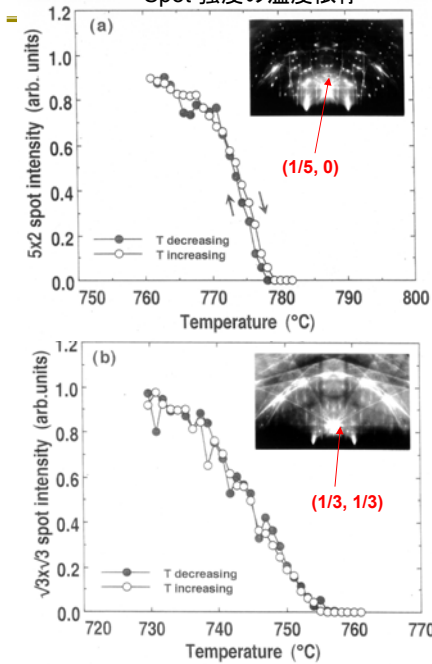


Si(111)-5x2-Au

Au-吸着表面超構造 on Si(111) 53

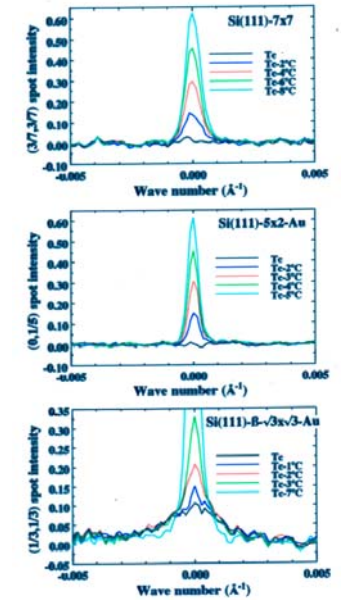


Spot 強度の温度依存



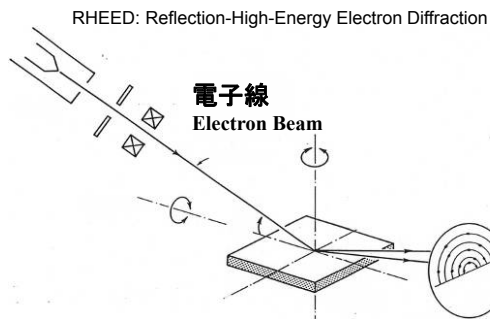
Au-吸着表面超構造 on Si(111)の相転移

Spot Profileの温度依存

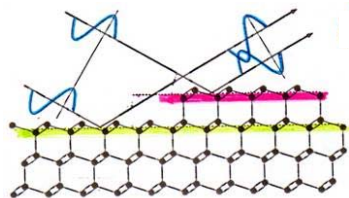


Atomic-Layer Growth and RHEED Intensity Oscillation

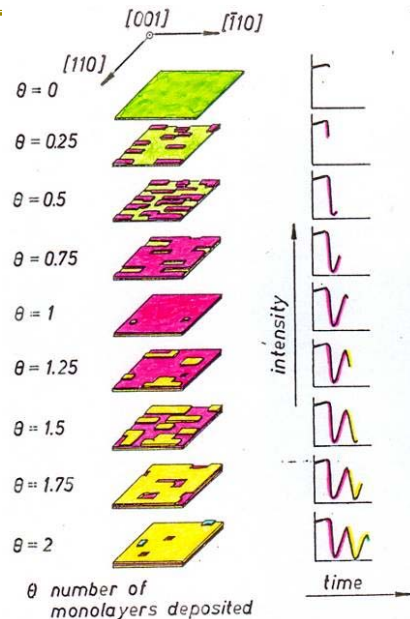
Harris, Joyce, Dobson 1981



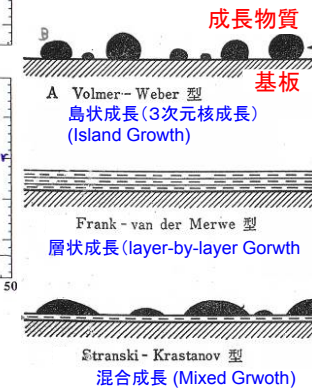
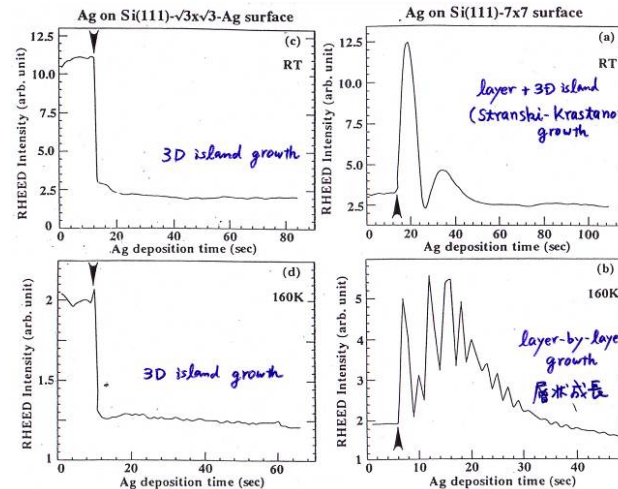
Off-Bragg Condition (Out-of-Phase Condition)



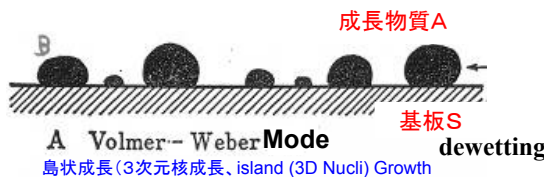
Layer-by-layer Growth



Atomic-Layer Growth and RHEED Intensity Oscillation



原子層・薄膜の成長モード Growth Modes



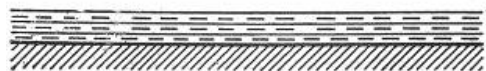
A Volmer-Weber Mode dewetting
島状成長 (3次元核成長、island (3D Nucl) Growth)

γ_S : Surface Energy of Substrate
 γ_A : Surface Energy of Adsorbate

$\gamma_S < \gamma_A$ 格子不整合 Lattice Mismatch

Governing Factor

- 表面(界面)エネルギー Surface (Interface) Energy
- 格子不整合による歪みエネルギー Strain Energy due to Lattice Mismatch



Frank-van der Merwe Mode wetting
層状成長 (layer-by-layer Growth)

$\gamma_S > \gamma_A$ 格子整合 Lattice Match



Stranski-Krastanov Mode wetting → dewetting
混合成長 格子不整合 Mixed Growth Lattice Mismatch

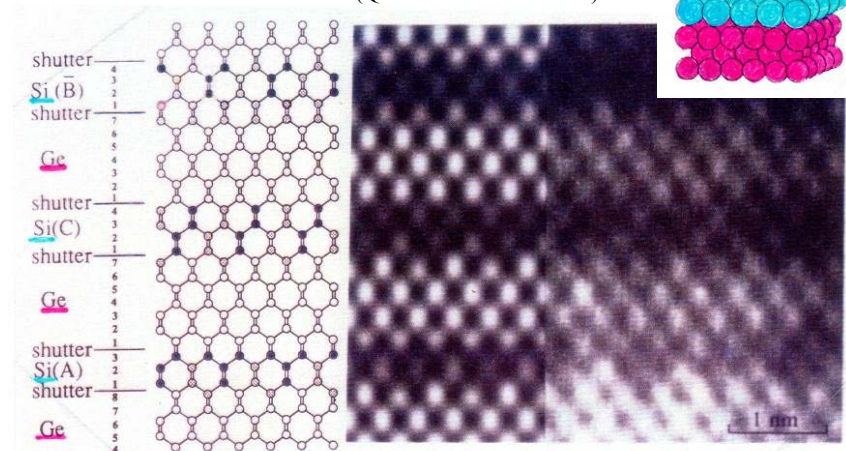
γ_S' : 吸着層の表面エネルギー Surface Energy of Adlayer

$\gamma_S > \gamma_A \Rightarrow \gamma_S' < \gamma_A$

超格子構造 - 人工結晶

Superlattice Structures - Man-made Crystal

異なる原子を積み重ねる → 自然には存在しない人工物質 (量子井戸)
Stack up different atoms layer-by-layer ⇒ Artificial materials which do not exist in nature. (Quantum well structures)



GeSi超格子の電子顕微鏡写真 TEM image of GeSi superlattice



The Nobel Prize in Physics 2007

巨大磁気抵抗効果の発見
for the discovery of Giant Magnetoresistance"

→ 磁気ヘッド (ハードディスクの小型化・高密度化)
Magnetic head (down sizing and high-density magnetic hard disk)

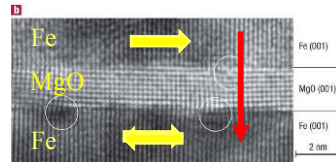


Albert Fert

France
南パリ大学
b. 1938

Peter Grünberg

Germany
Julich研究所
b. 1939



S. Yuasa, et al., Nature Materials 3, 868 (2004).

トンネル磁気抵抗効果(TMR)
Tunnel magnetoresistance
Parallel M ⇒ Low resistance
Anti-parallel M ⇒ High resistance



The Nobel Prize in Physics 2014

明るく省エネの白色光源を可能にした、
効率的な青色発光ダイオードの発明
for the invention of efficient blue light-emitting
diodes which has enabled bright and
energy-saving white light sources



赤崎 勇終身教授
(名城大学)
85歳



天野 浩教授
(名古屋大学)
54歳

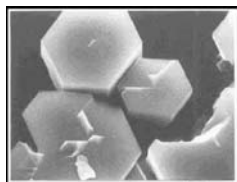
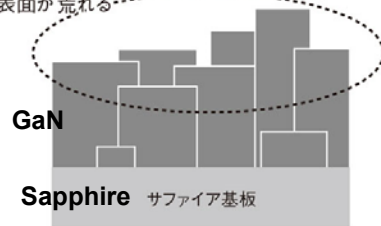


中村 修二教授
(カリフォルニア大学)
60歳

Growth of GaN Crystal: Low-Temp. Buffer Layer GaN 窒化ガリウム

Without Buffer Layer

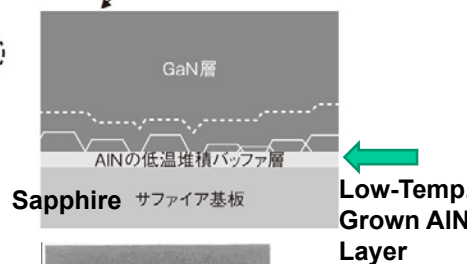
(a) バッファ層を導入しない場合
微小なGaN結晶の集合体になり、
表面が荒れる



低温バッファ層なし

With Buffer Layer

(b) バッファ層を導入した場合
平坦なGaN結晶を得られる



低温バッファ層あり

Release Strain in GaN

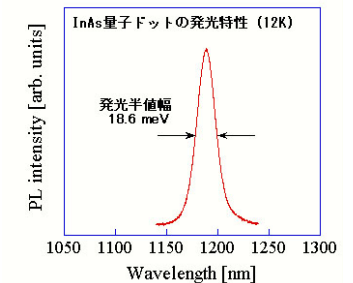
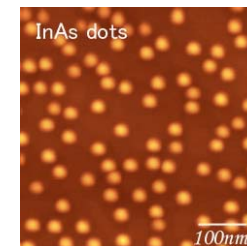
(財)武田計測先端財団
2005/7/21

SK成長を利用した量子ドットの自己組織的形成

Self-Organization of Quantum Dots due to Stranski-Krastanov Growth

電気通信大学 ECU 山口浩一研究室 Prof. K. Yamaguchi

InAs/GaAs



Photoluminescence Spectrum

格子不整合 (格子不整合量, 7.2%) のため、FvMモードからVWモードへ
20 nm程度の小さいピラミッド状のInAs微小結晶粒が約1兆個/cm²
電子(または正孔)がInAsドット内に閉じ込められ、量子サイズ効果
ドットサイズを制御⇒発光波長を制御できる(量子ドットレーザ)

まとめ 電子回折 Summary Electron Diffraction

1. 量子力学の基礎: 電子の**波動性**の実証
Fundamentals of Quantum Mechanics; Wave Nature of E
2. **表面構造**の**定性的な観察**
Qualitative Analysis of Surface Structures
試料準備に有用 Useful for sample prep
3. 表面原子配列の**精密解析**
Detailed analysis of surface atomic arrangement
運動学的計算⇒動力的計算
Kinematical ⇒ Dynamical Claculations
4. **動的構造変化**のモニター
Monitor of dynamical changes in structure
 - **原子層成長** growth of atomic layers
 - **相転移** phase transitions